

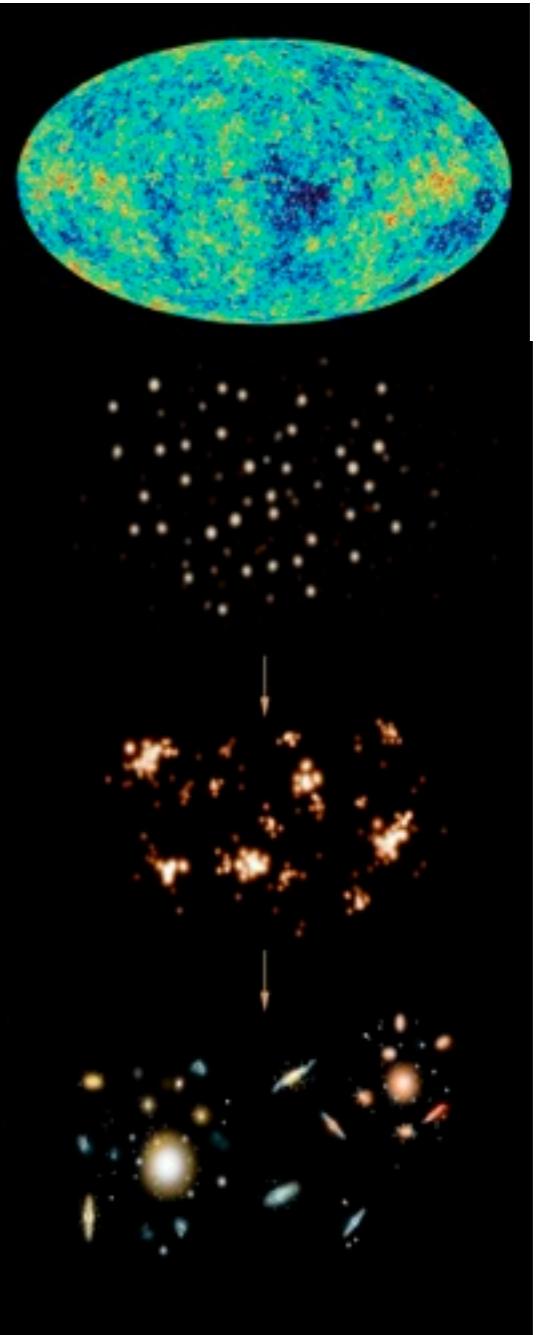
# Lighting up the dark in the Local Group

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PATRAS workshop, Mainz, June 24-28, 2013

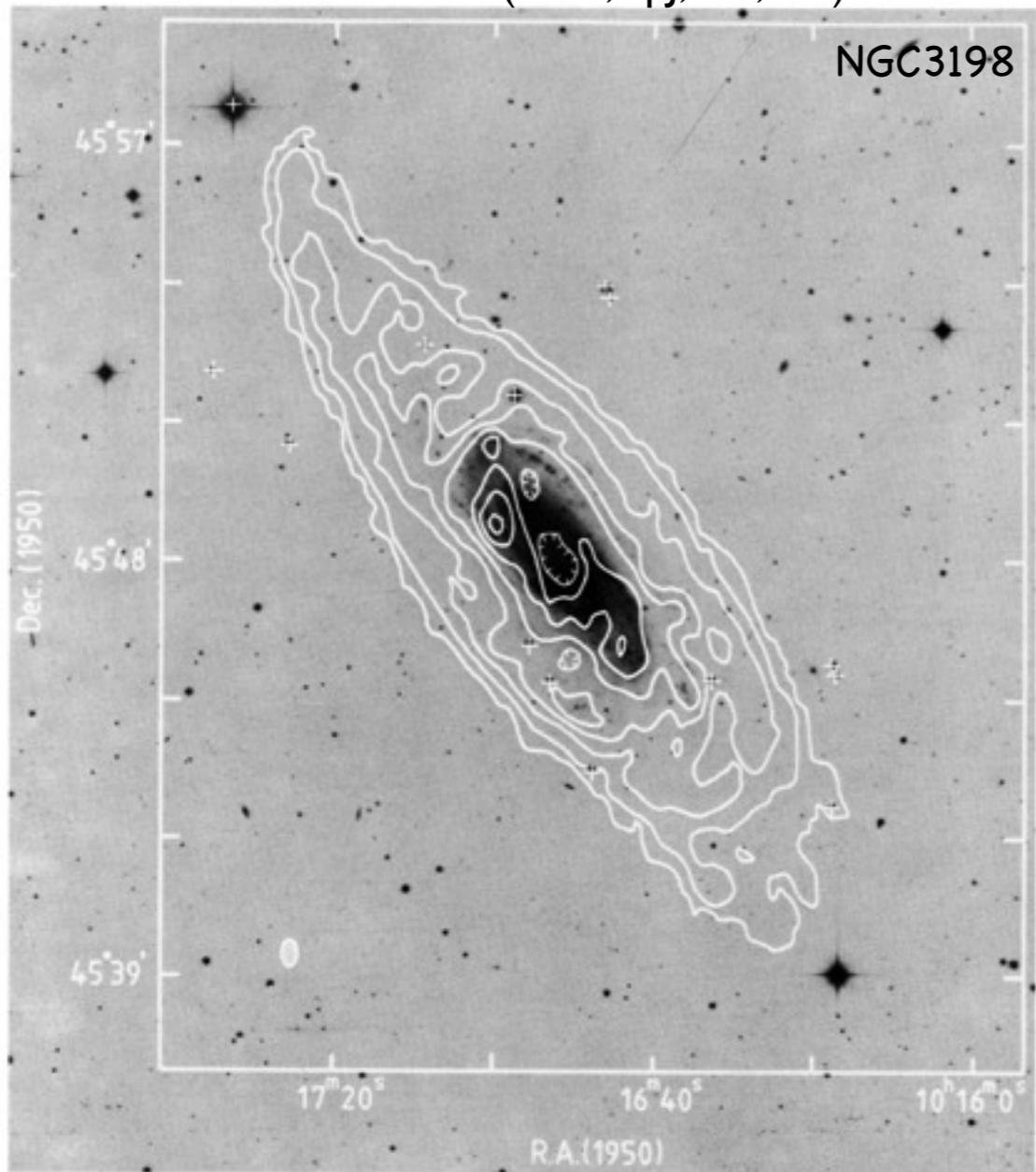
# Concordance cosmology?

- $\Lambda$ CDM model: flat universe + dark energy + cold dark matter
- successful on large scales, but tests inconclusive on scales of galaxies
- need dark matter, but observe light:
  - ‘adding’ baryons to dark-matter-only simulations via empirical prescription
  - ‘subtracting’ baryons from total mass distribution inferred through luminous tracers of the gravitational potential

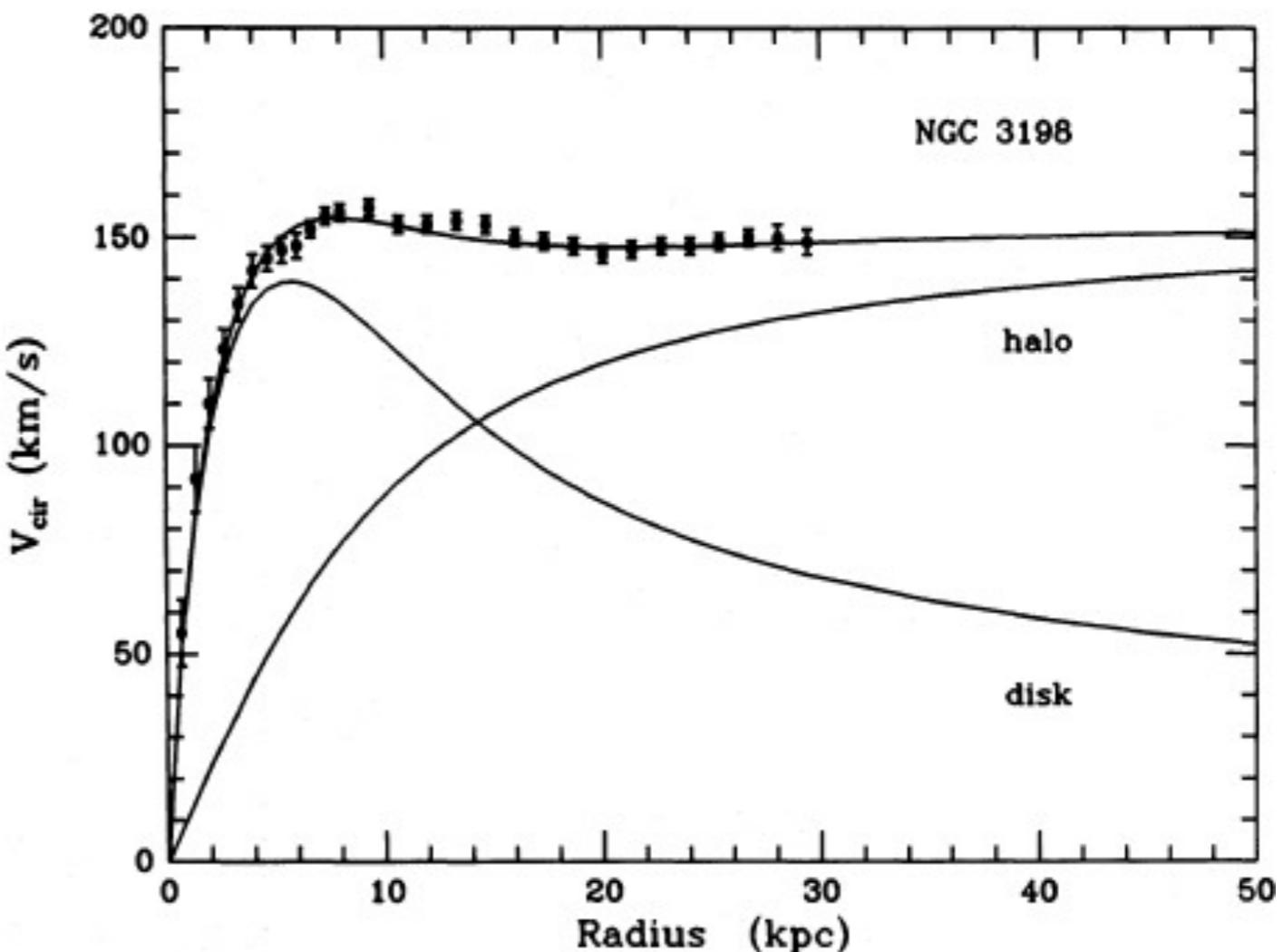


# Luminous tracers: cold gas

van Albada et al. (1985,ApJ,295,305)

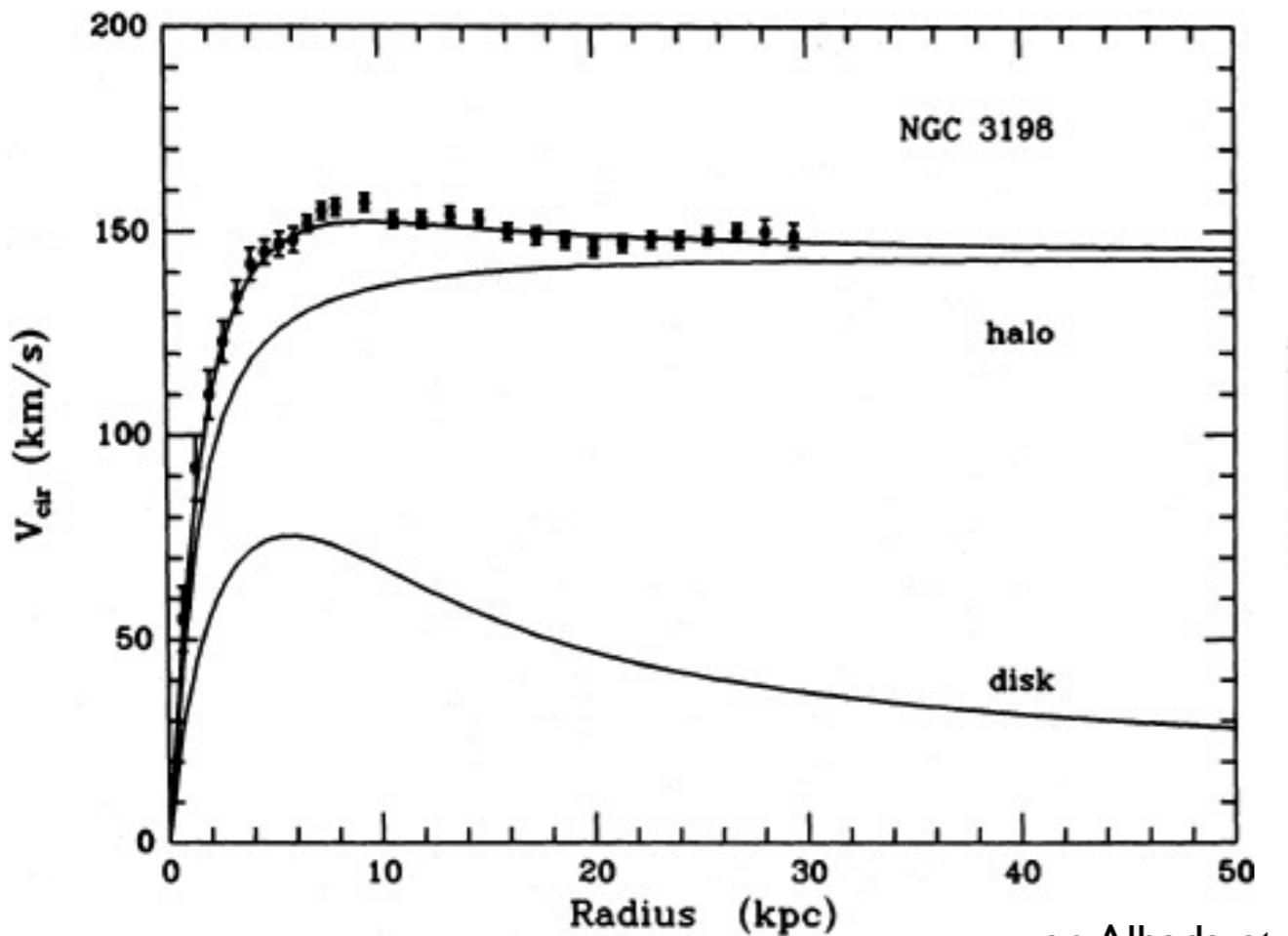


$$\frac{GM_{\text{tot}}(< R)}{R} = -R \frac{\partial \Phi}{\partial R} = v_c^2(R)$$

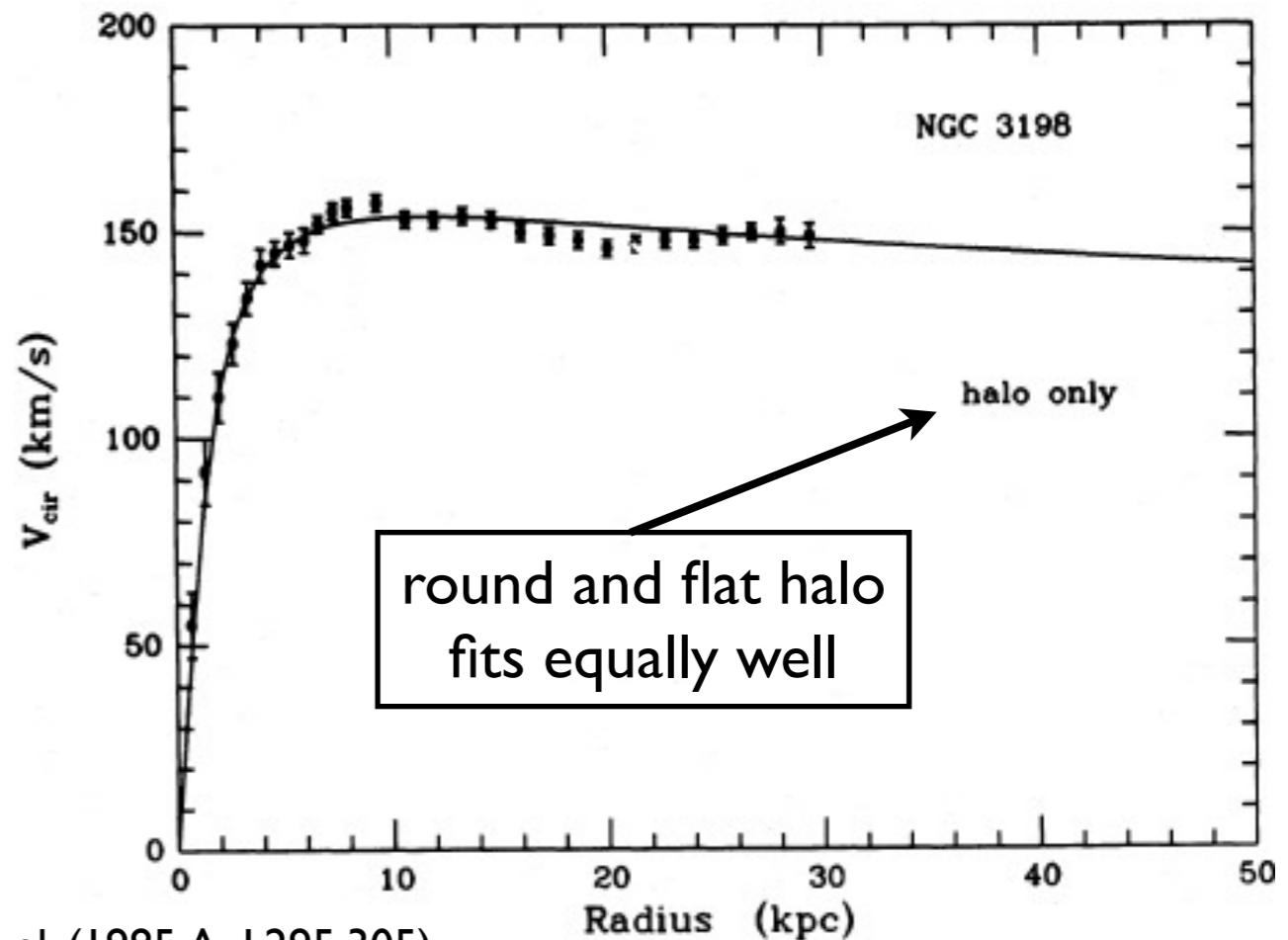


- But requires disk stellar mass-to-light ratio and ...

# Disk-halo degeneracy

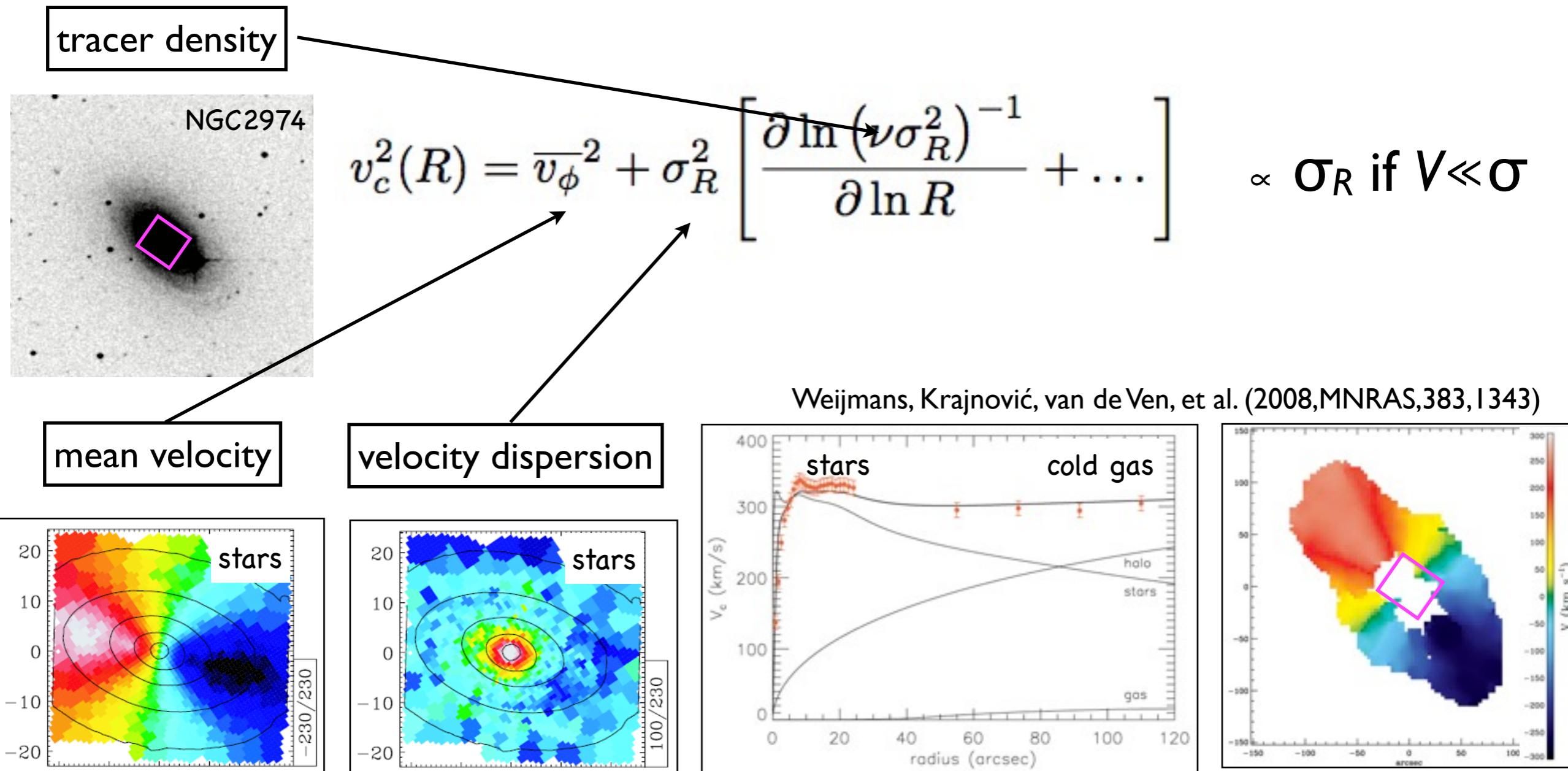


van Albada et al. (1985, ApJ, 295, 305)



- ... spatial resolution, correction non-circular motions, de-projection, non-spherical halo, presence of cold gas!

# Luminous tracer: hot stars



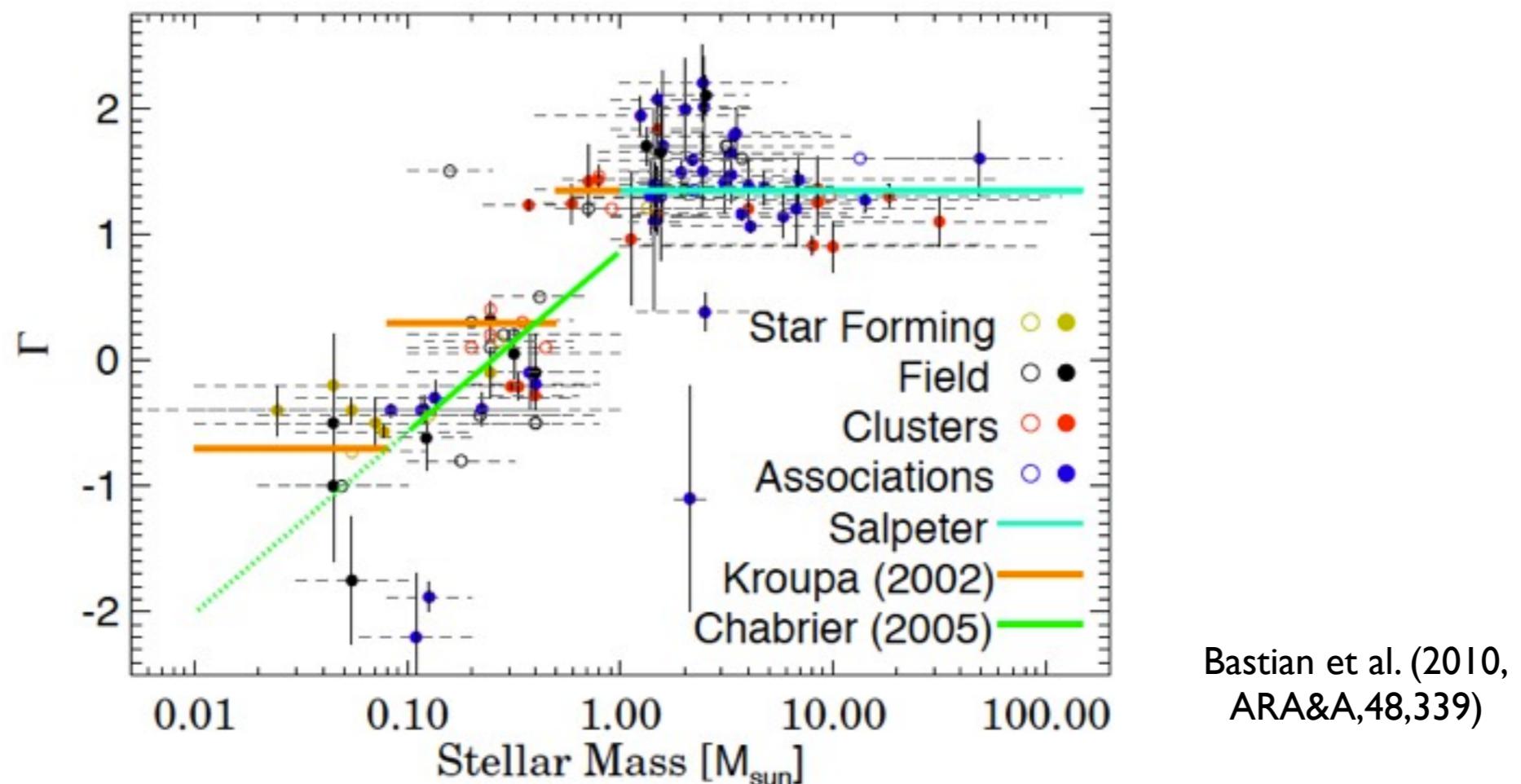
- ... but still requires stellar mass-to-light ratio and thus IMF

# Initial Mass Function

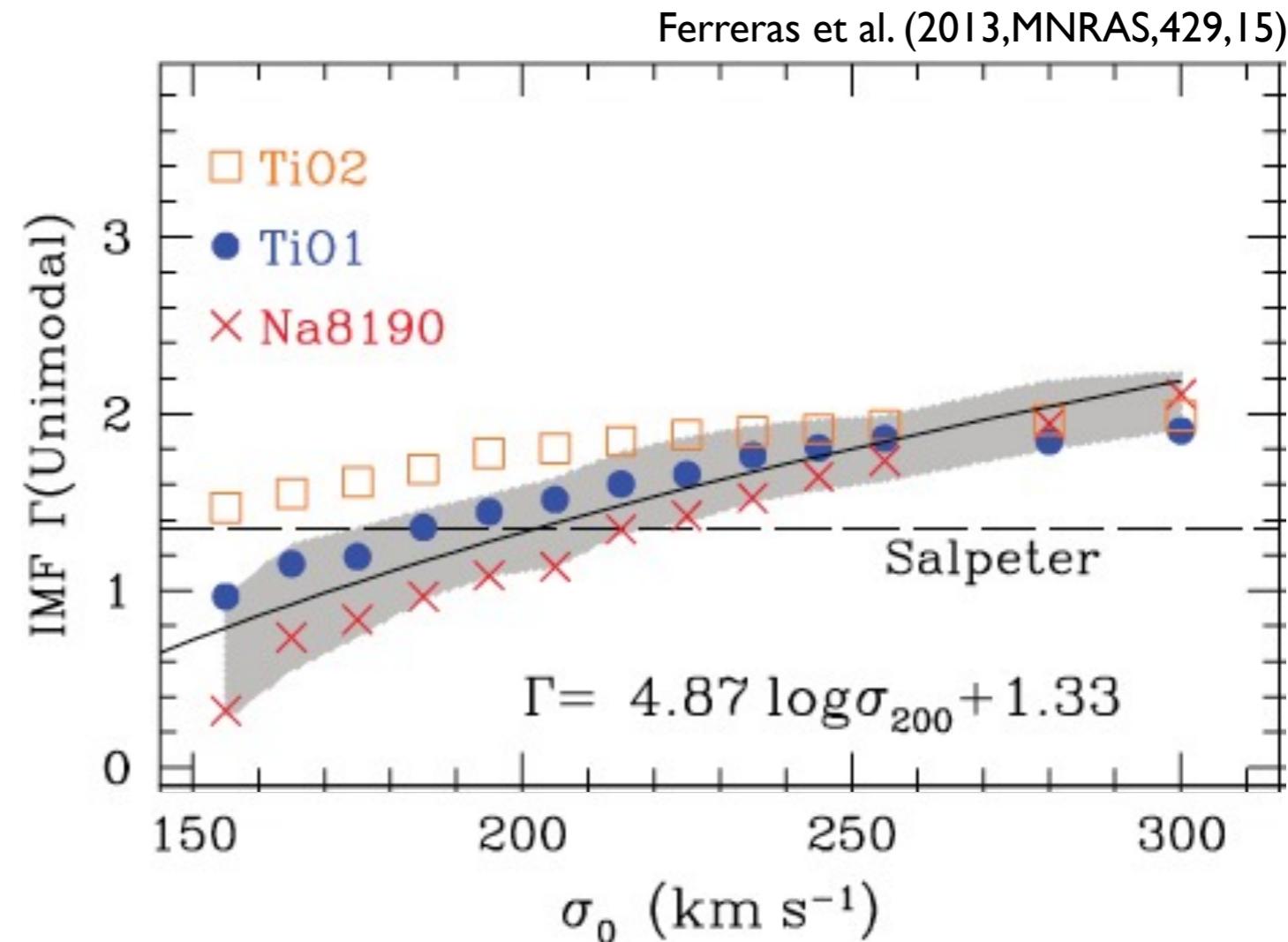
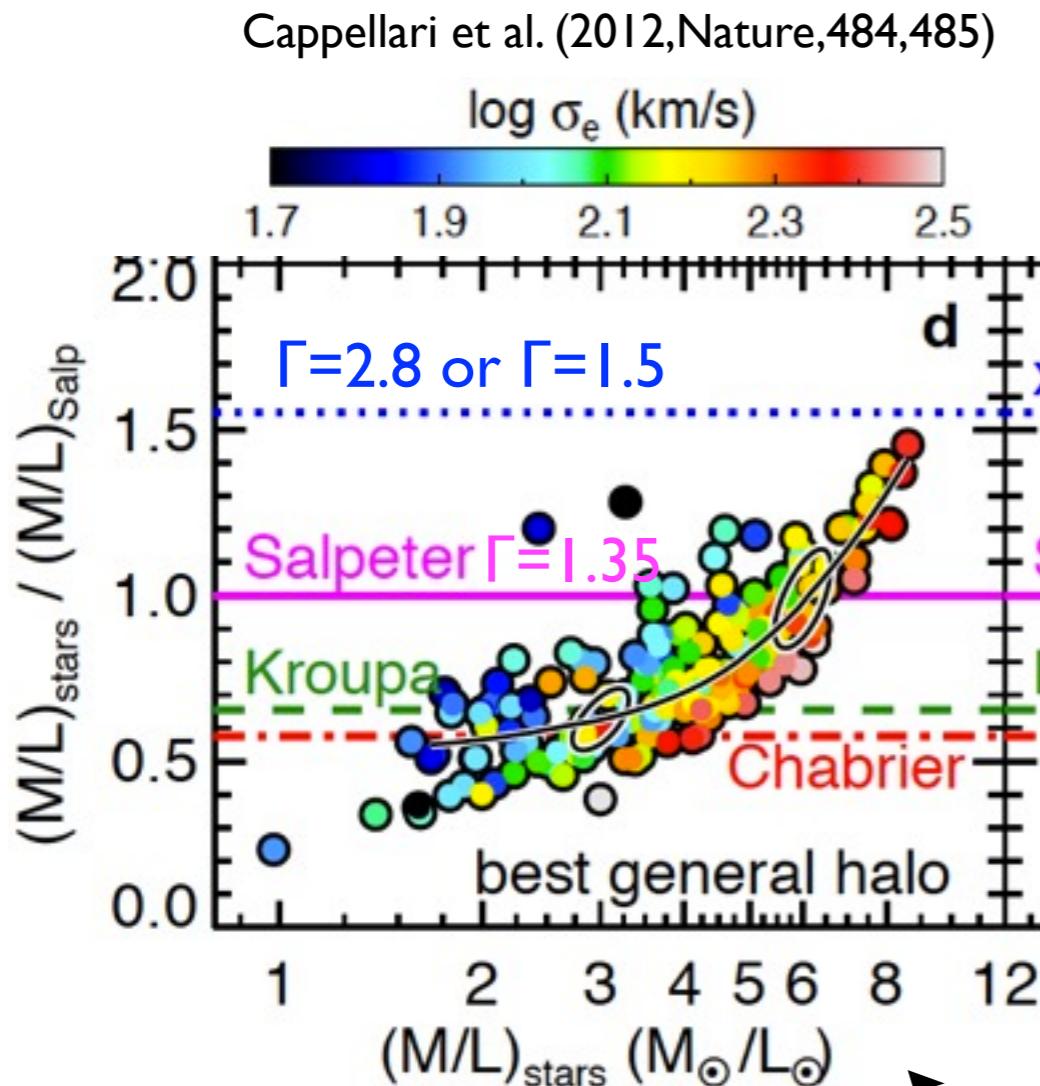
- Number of stars formed per unit mass

$$dN/d\log m \propto m^{-\Gamma}, \quad dN/dm \propto m^{-\alpha}, \quad \alpha = \Gamma + 1$$

- Salpeter (1955) single power-law with  $\Gamma=1.35$
- Kroupa (2001) broken power-law below  $0.5 M_{\text{sun}}$
- Charbrier (2003) log-normal below  $1.0 M_{\text{sun}}$

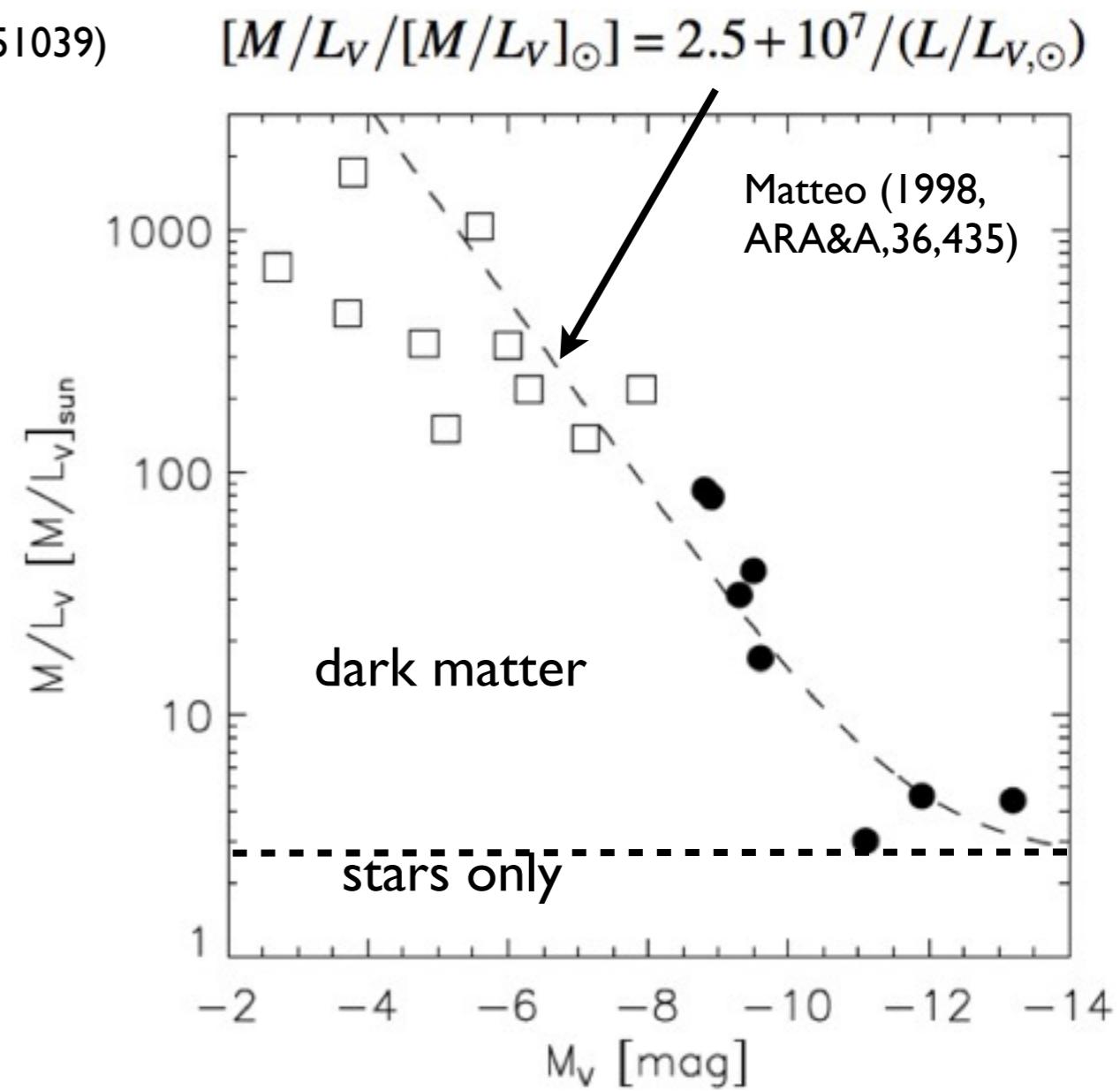
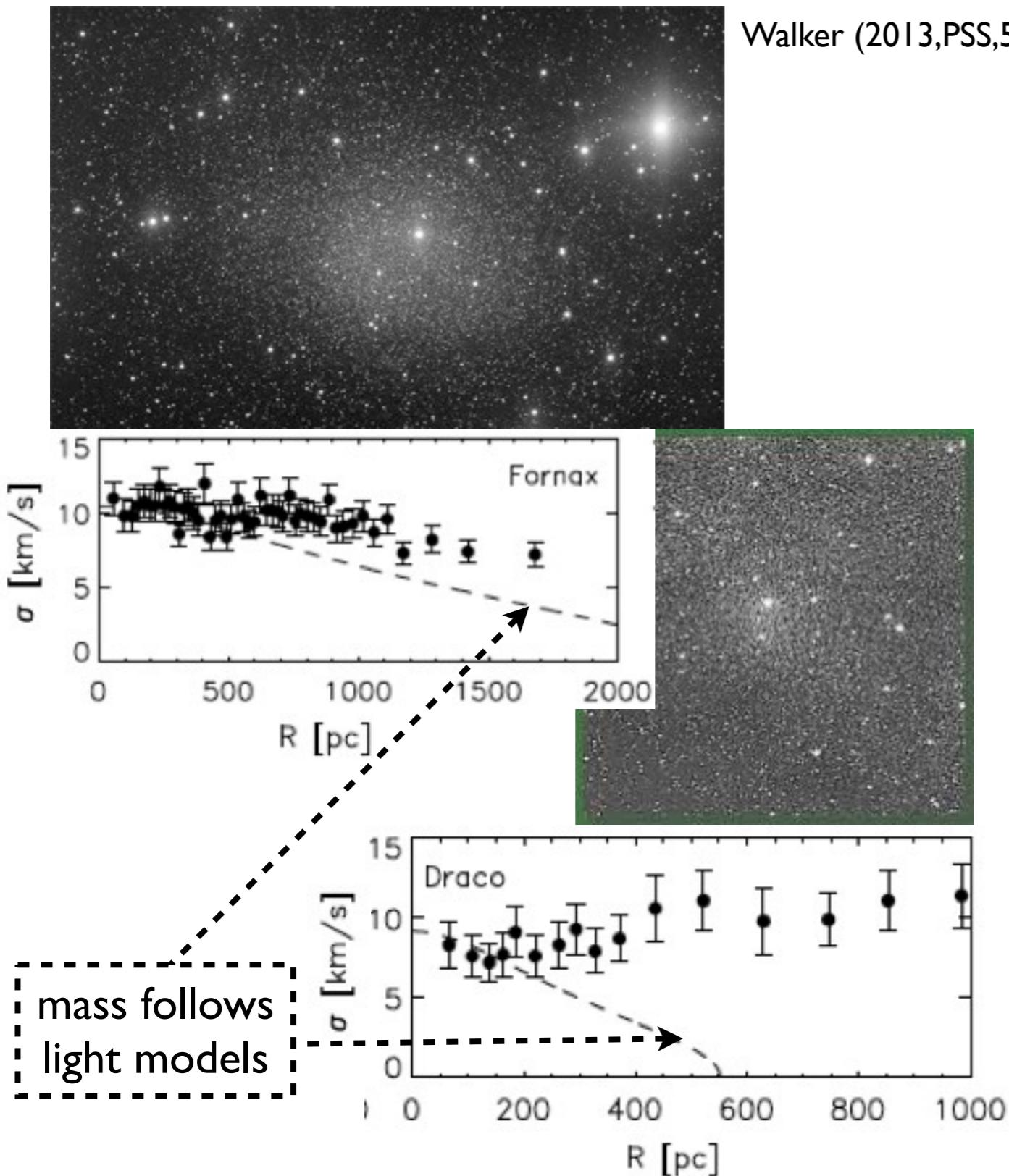


# Non-universal IMF?



- ... combine stellar dynamical and populations models to constrain IMF shape and hence stellar mass-to-light ratio (e.g., Läsker, van den Bosch, van de Ven, et al., 2013, MNRAS, in print)

# Dark-matter dominated



- ... but non-spherical halo and velocity anisotropy?

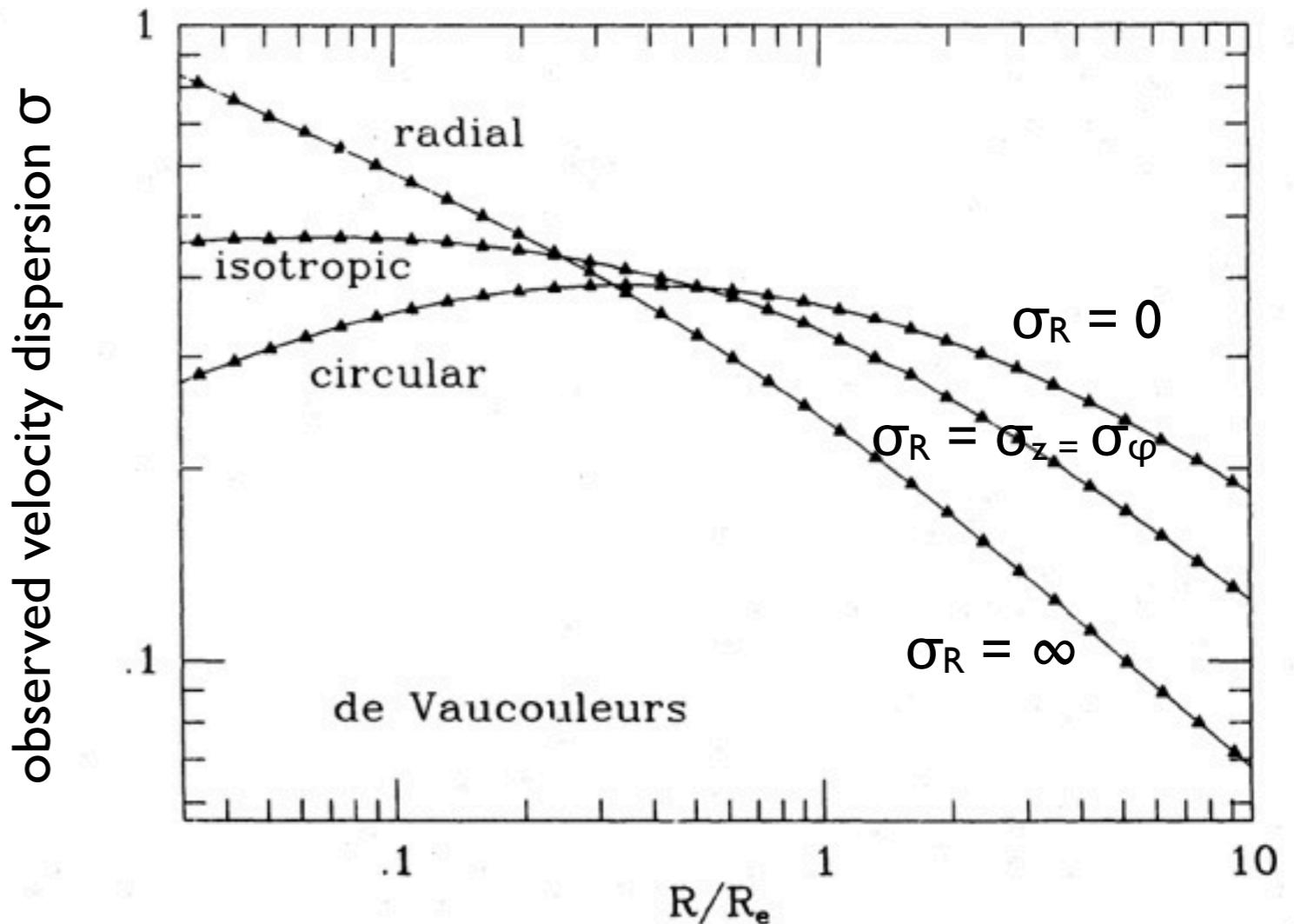
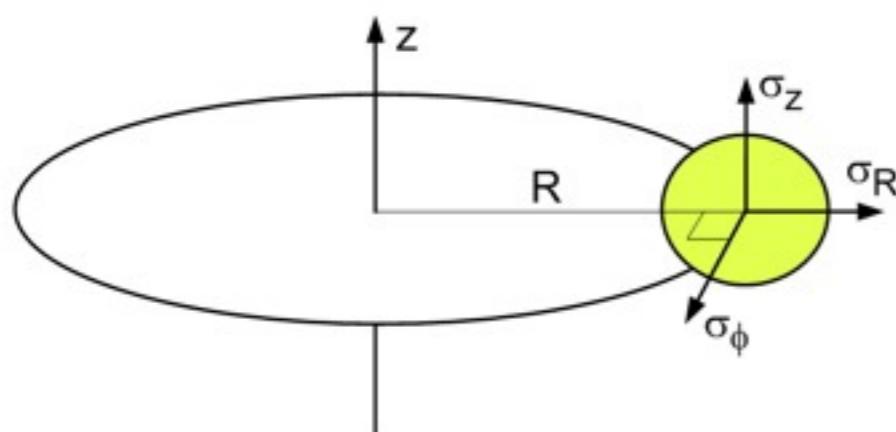


# Mass-anisotropy degeneracy

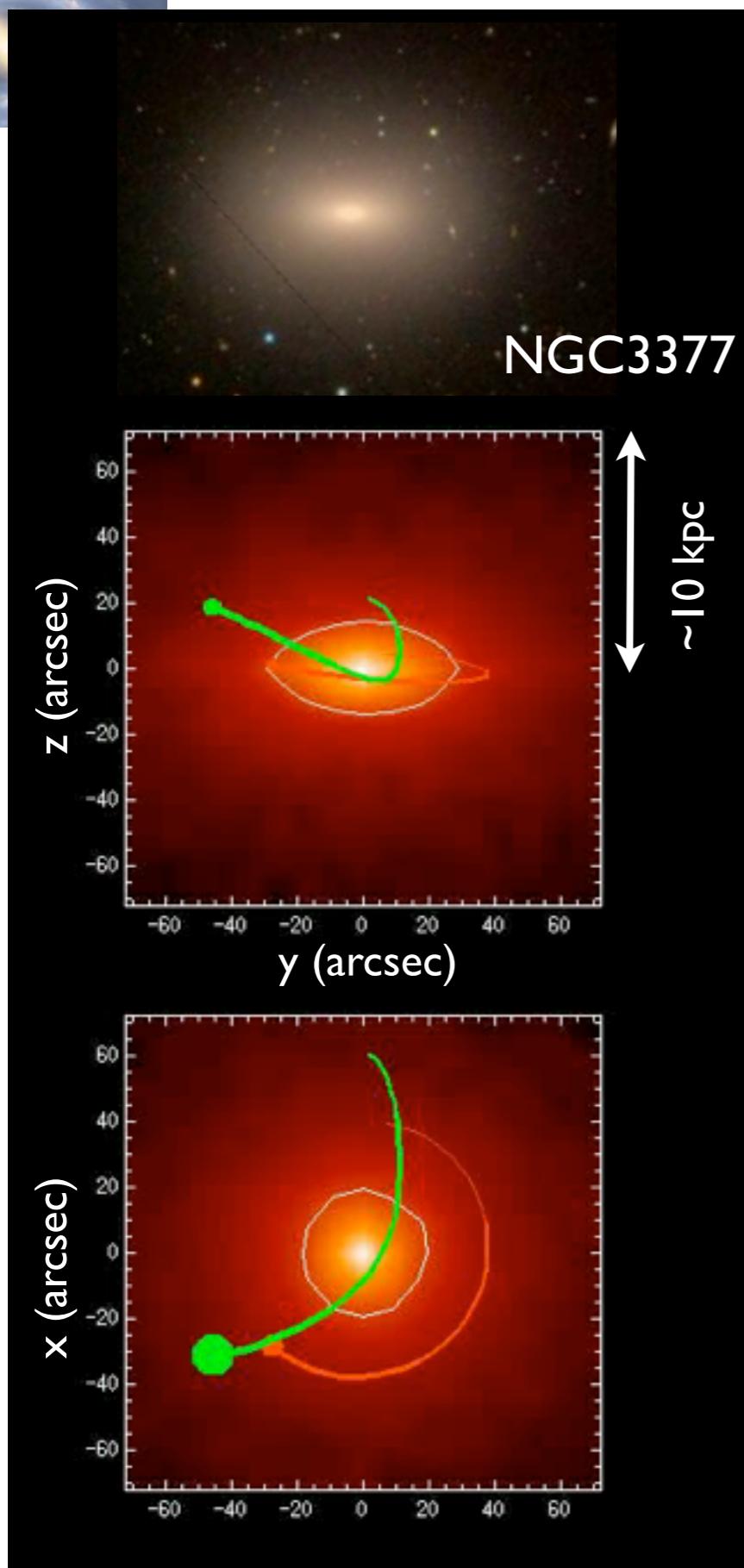
$$v_c^2(R) = \bar{v_\phi}^2 + \sigma_R^2 \left[ \frac{\partial \ln (\nu \sigma_R^2)^{-1}}{\partial \ln R} + \dots \right]$$

Richstone & Tremaine (1984, ApJ, 286, 27)

velocity anisotropy:  
 $\sigma_\phi/\sigma_R, \sigma_z/\sigma_R, \dots?$

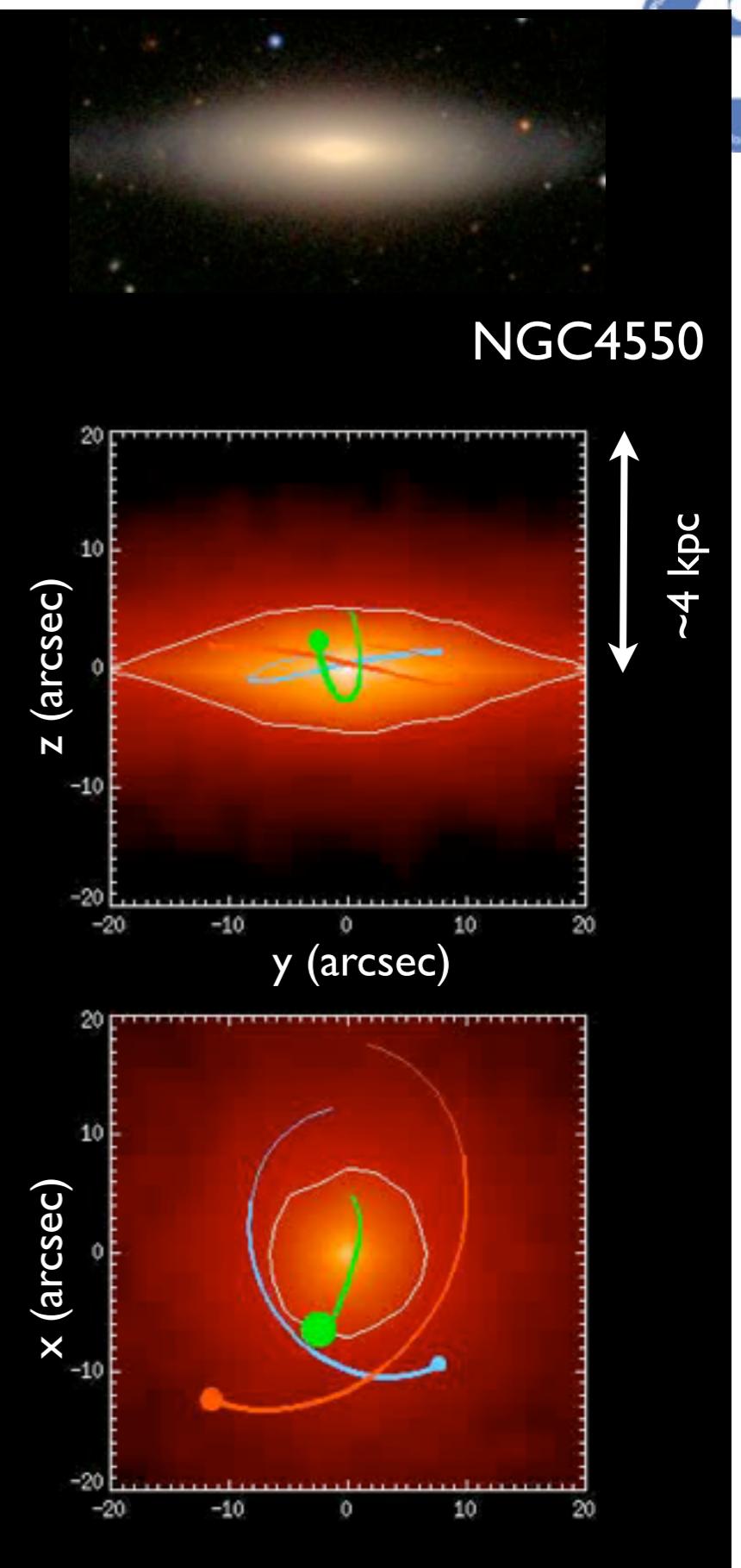


- Adopt (ad-hoc) assumptions velocity anisotropy, otherwise data and models beyond  $V$  and  $\sigma$  ...



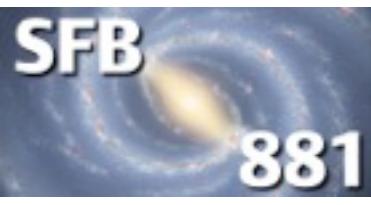
# Stellar orbits

van den Bosch,  
van de Ven,  
et al. (in prep.)



# Luminous tracers

- *Cold gas*: directly circular velocity, but restricted to disk plane and sensitive to perturbations, needs IMF unless dark-matter dominated
- *Hot stars*: everywhere, but data and model beyond  $V$  and  $\sigma$  to break mass-shape-anisotropy degeneracy, needs IMF unless dark-matter dominated
- *Local Group*: stars are resolved, positions and distances, line-of-sight velocities and proper motions, chemical properties and even (proxies for) ages ...



# Axisymmetric Jeans eqs.

- ‘Radial’ Jeans equation yields ‘rotation curve’:

$$\frac{\partial(R\nu\bar{v}_R^2)}{\partial R} + R\frac{\partial(\nu\bar{v}_R\bar{v}_z)}{\partial z} - \nu\bar{v}_\phi^2 + R\nu\frac{\partial\Phi}{\partial R} = 0,$$

→ 
$$-R\frac{\partial\Phi(R, z)}{\partial R} \Big|_{z=0} = v_c(R)^2 = \bar{v}_\phi^2 + \sigma_R^2 \left[ \frac{\partial \ln (\nu\sigma_R^2)^{-1}}{\partial \ln R} + \dots \right]$$

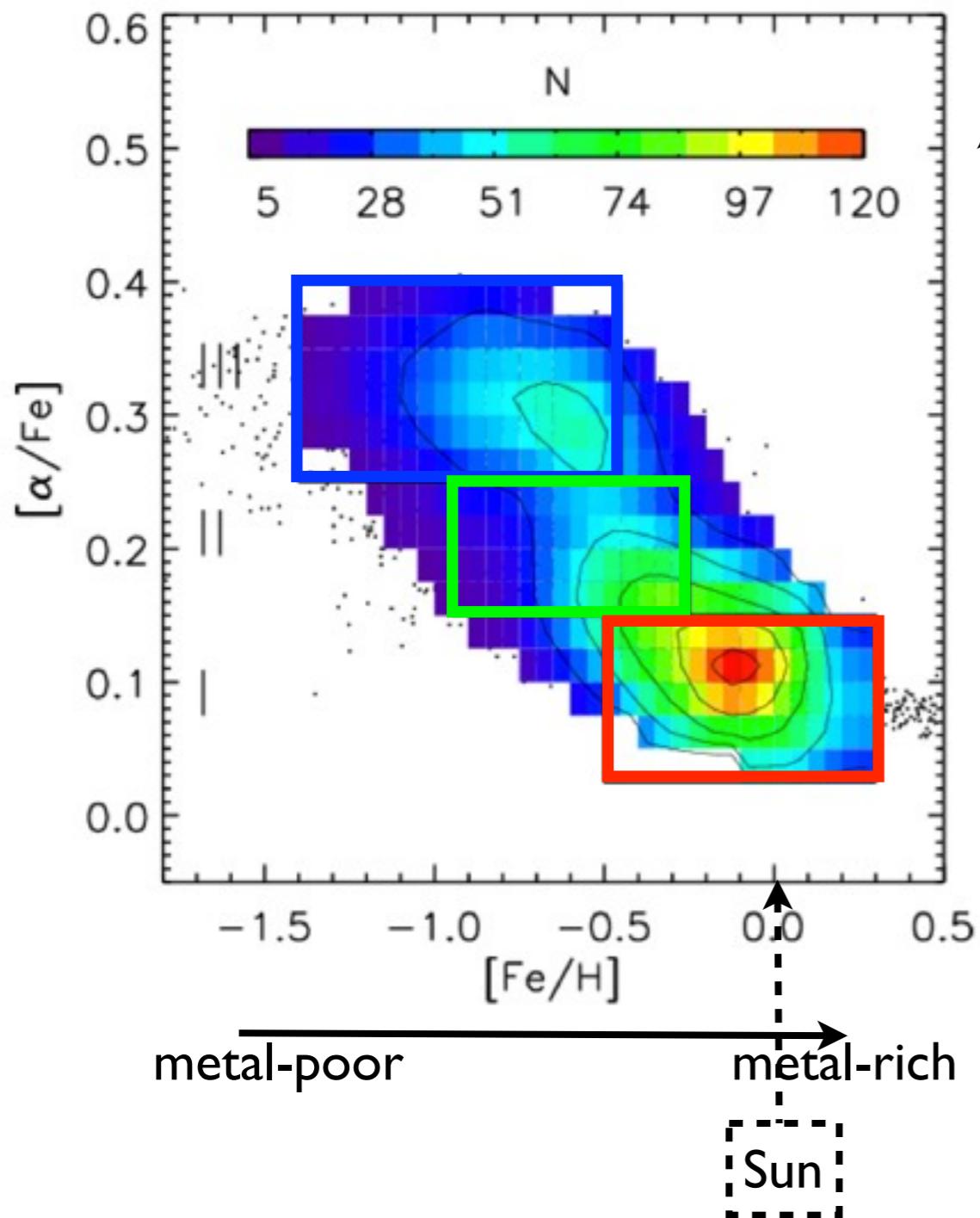
- ‘Vertical’ Jeans equation with  $R$  and  $z$  decoupled:

$$\cancel{\frac{\partial(R\nu\bar{v}_R\bar{v}_z)}{\partial R}} + R\frac{\partial(\nu\bar{v}_z^2)}{\partial z} + R\nu\frac{\partial\Phi}{\partial z} = 0$$

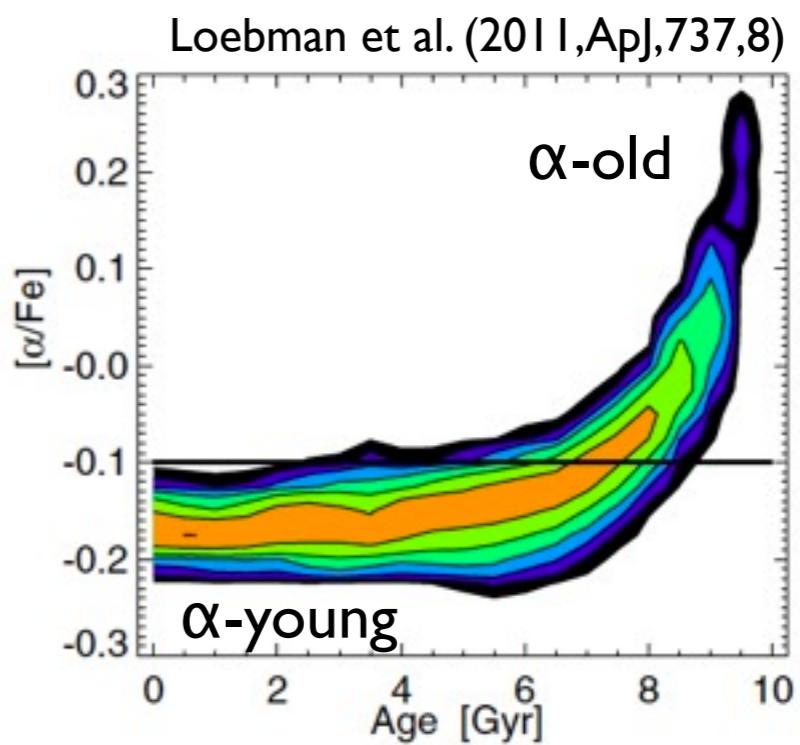
→ 
$$-\frac{\partial\Phi(R, z)_\odot}{\partial z} \Big|_{R=R_0} = K_z(z) = \frac{1}{\nu} \frac{d}{dz} (\nu\sigma_z^2)$$

# Solar Neighborhood

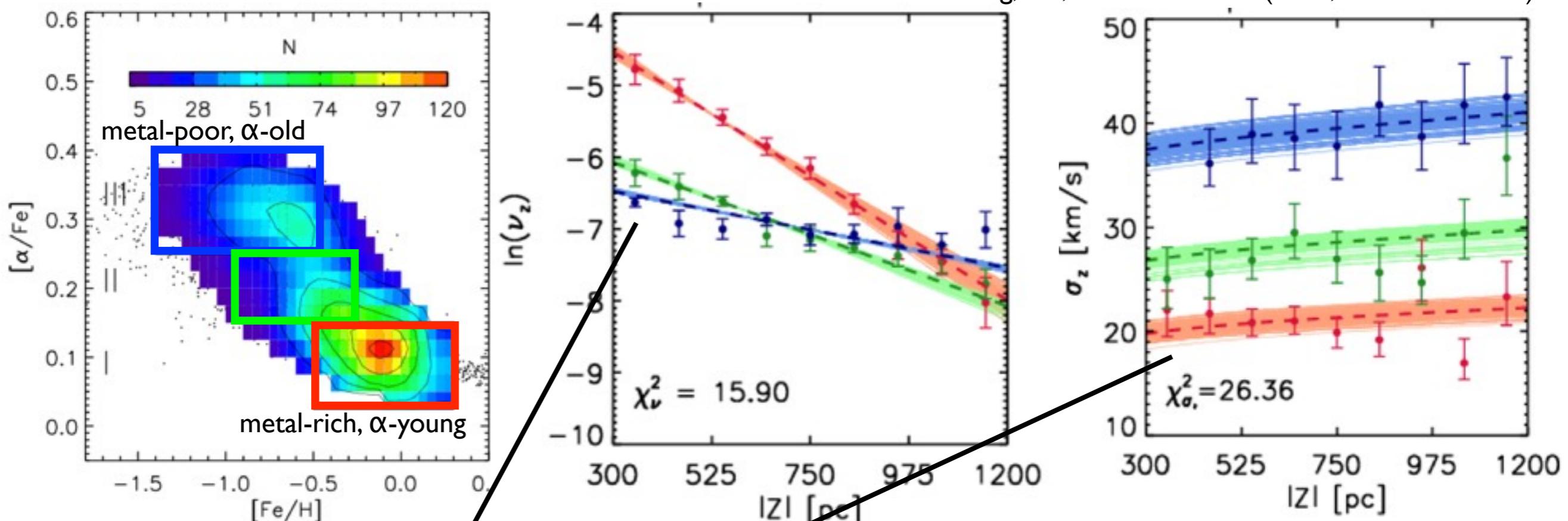
Zhang, Rix, van de Ven et al. (2013, arXiv:1209.0256)



- 9,000 SDSS/SEGUE K-dwarfs
- $|R - R_{\text{sun}}| < 0.4 \text{ kpc}$   
 $0.3 \text{ kpc} < |z| < 1.2 \text{ kpc}$
- $\alpha, \delta, D, v_{\text{los}}, \mu_\alpha, \mu_\delta$  ( $= 6D$ )  
 $[\text{Fe}/\text{H}], [\alpha/\text{Fe}]$  & errors



# Vertical Jeans equation

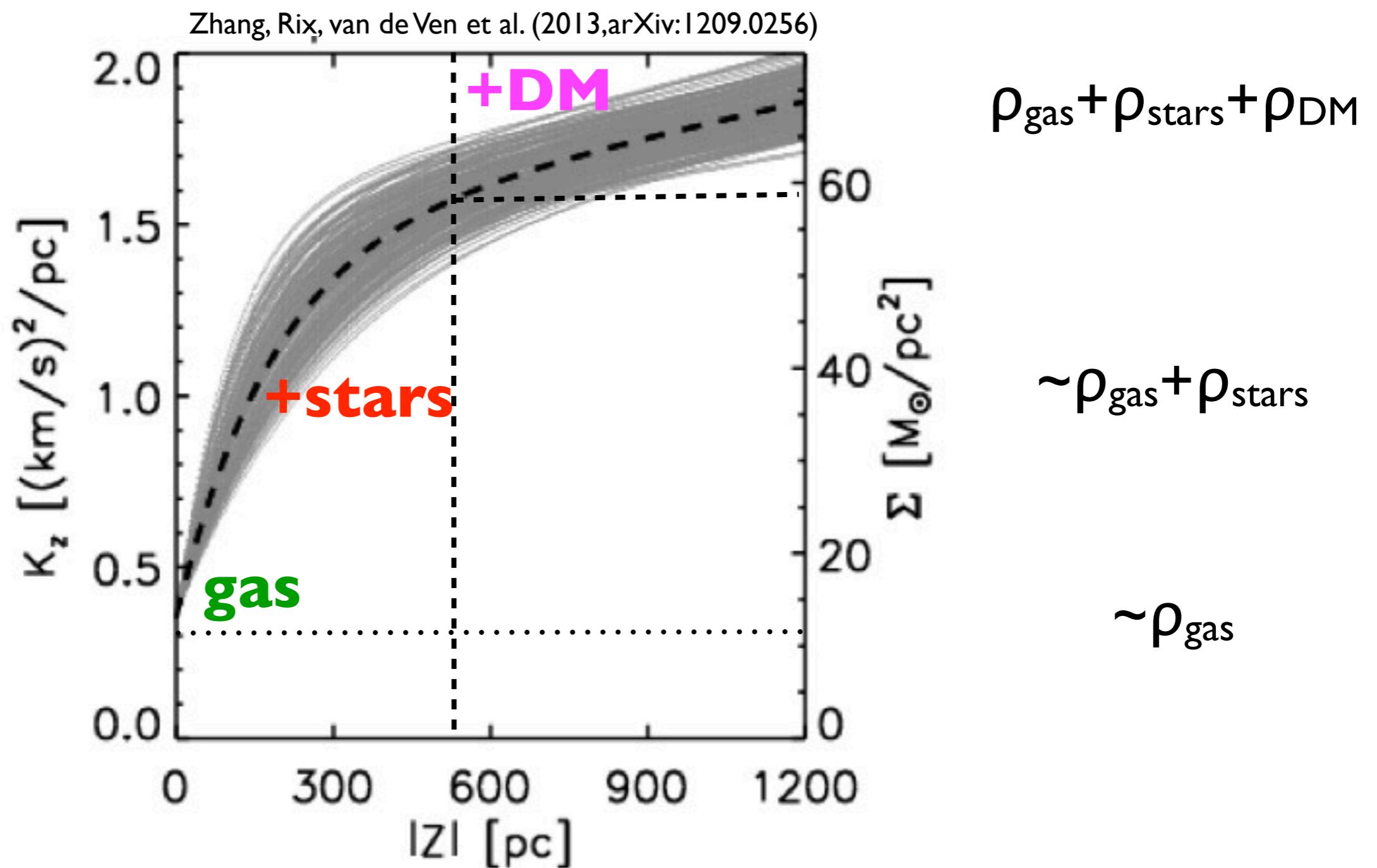


$$K_z(z) = \frac{1}{\nu} \frac{d}{dz} (\nu \sigma_z^2)$$

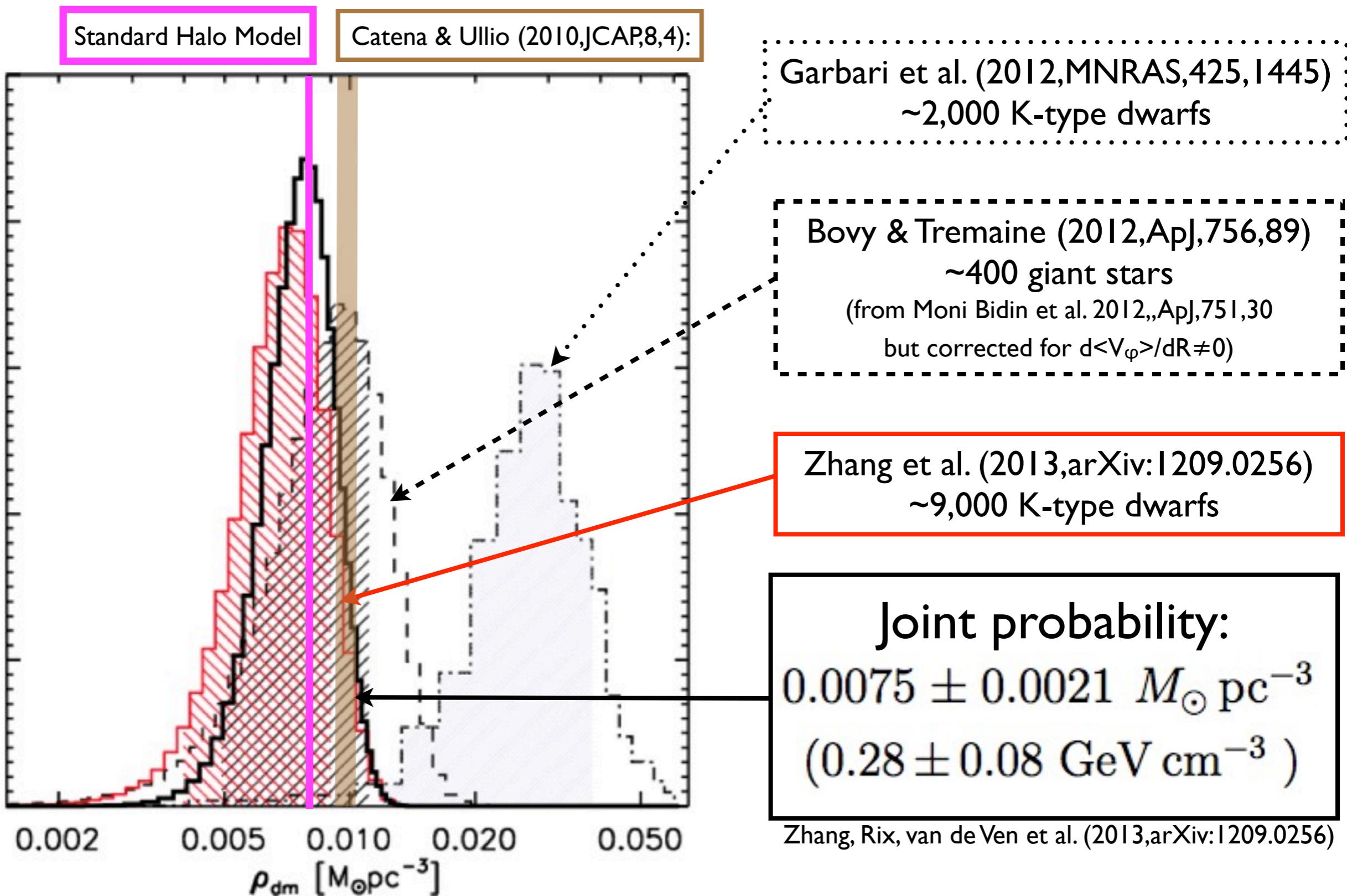
Poisson's eq.

$$\rho_{\text{tot}} = \rho_{\text{gas}} + \rho_{\text{stars}} + \rho_{\text{DM}}$$

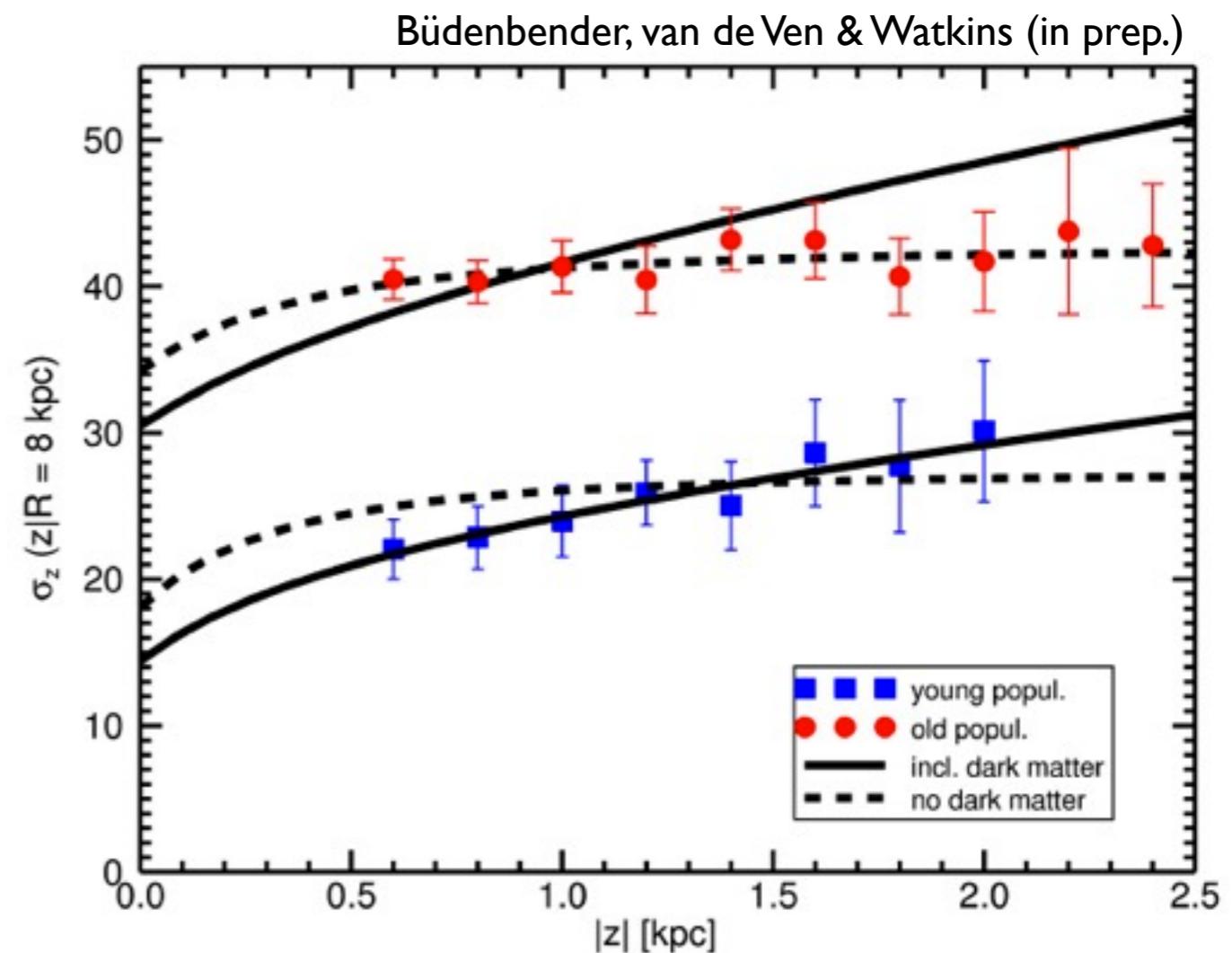
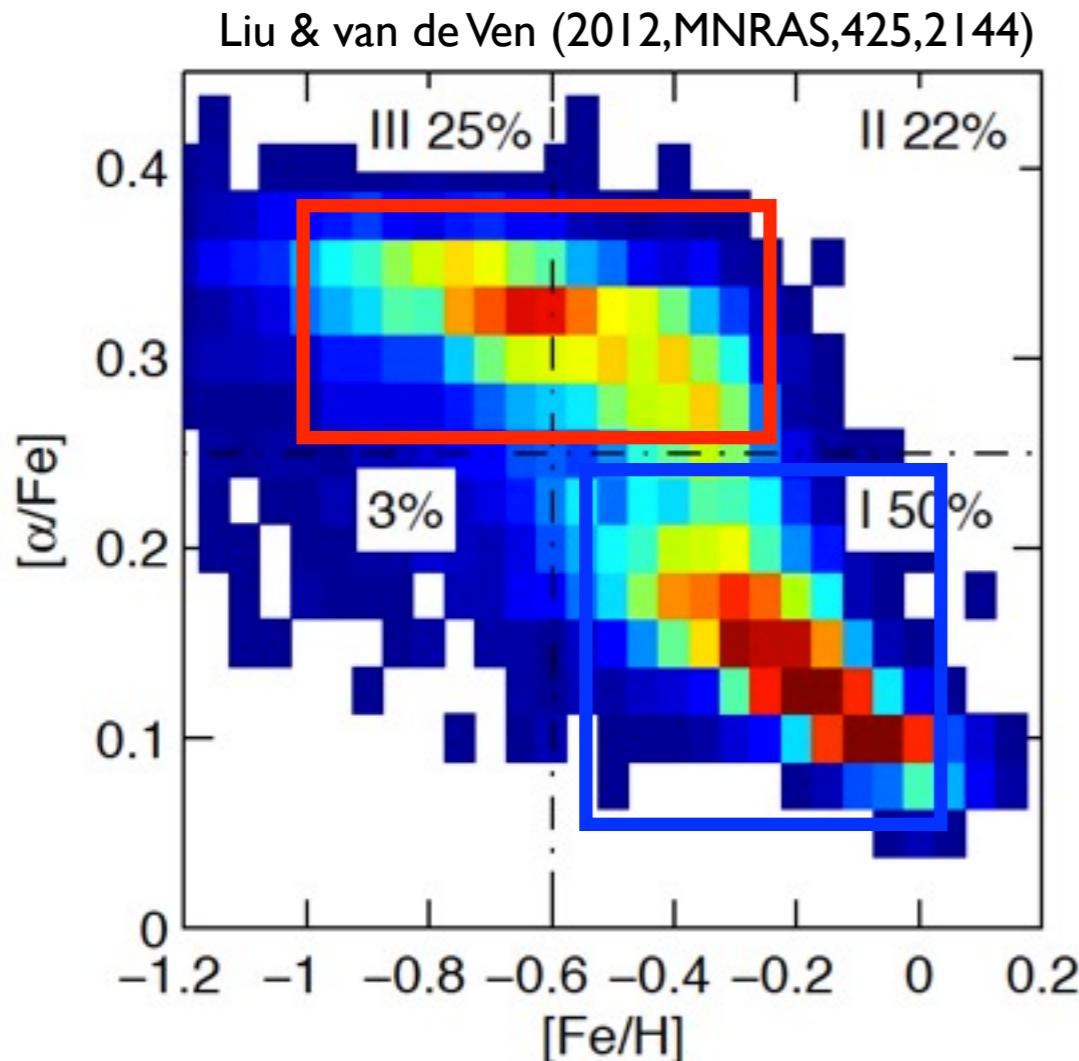
# Disentangling stars and DM



# Local DM density



# Beyond vertical Jeans



>13,000 G-type dwarfs  
 $7 < R/\text{kpc} < 9$   
 $0.5 < |z|/\text{kpc} < 2.5$

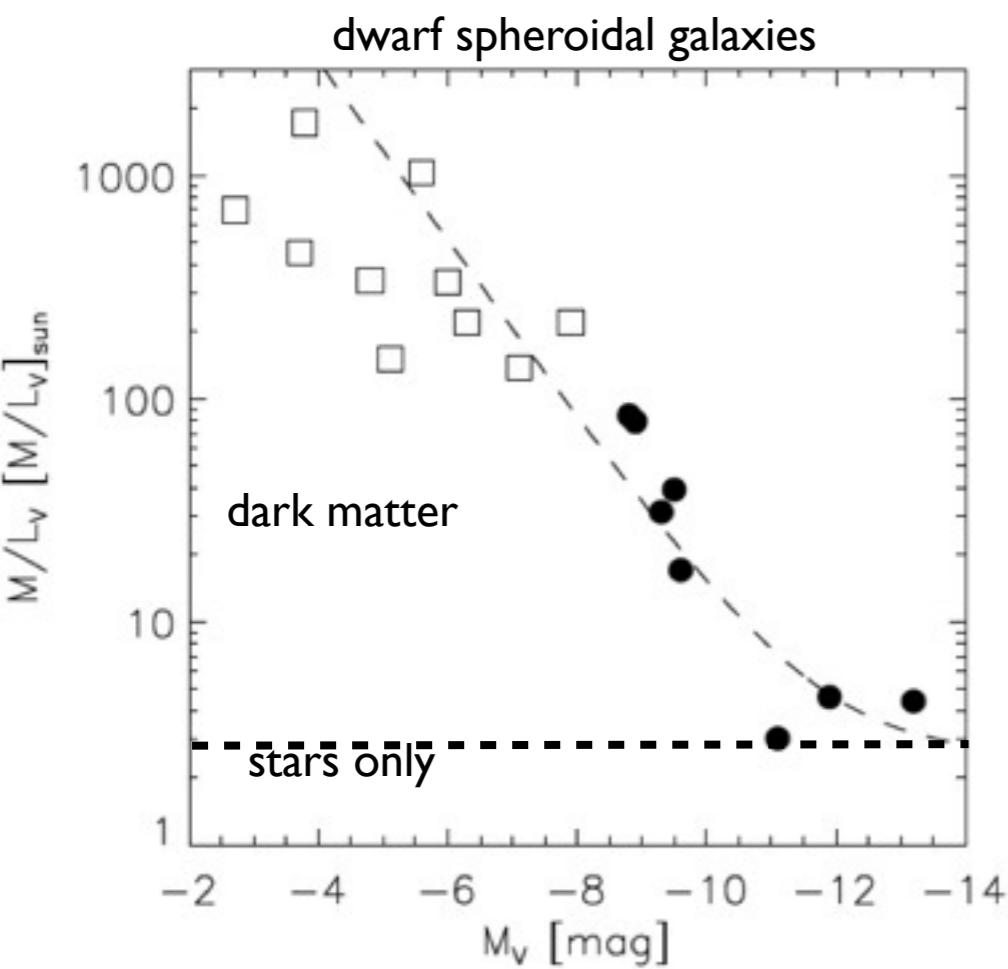
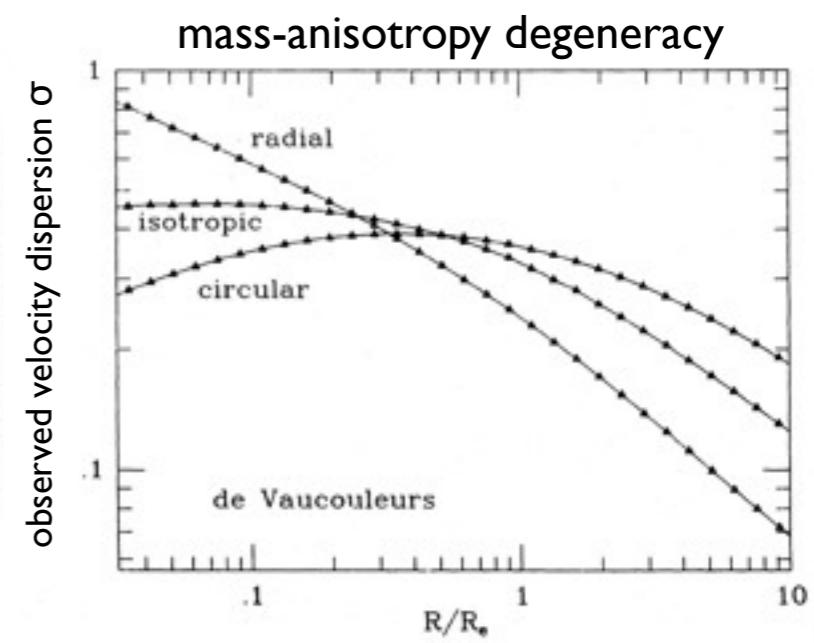
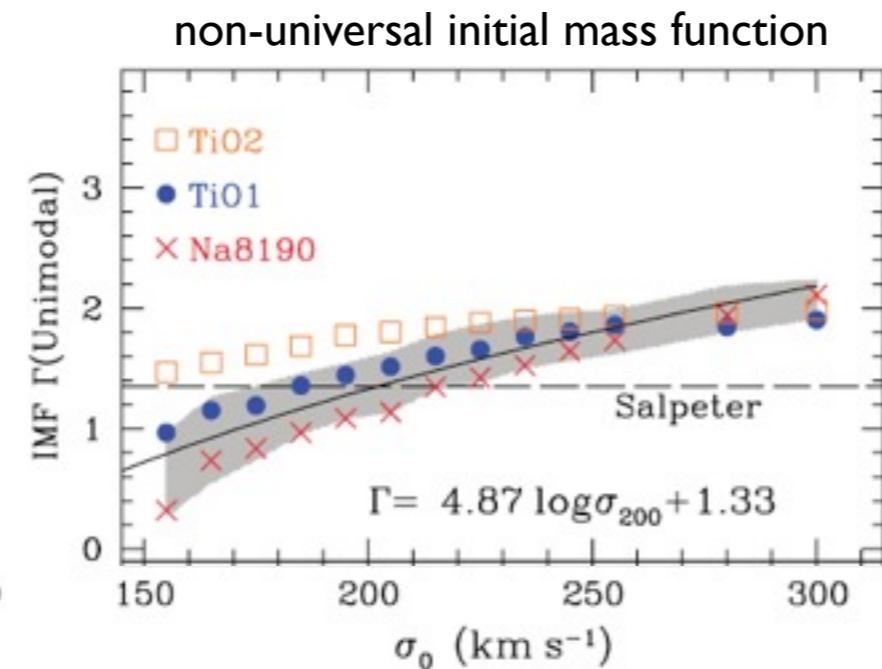
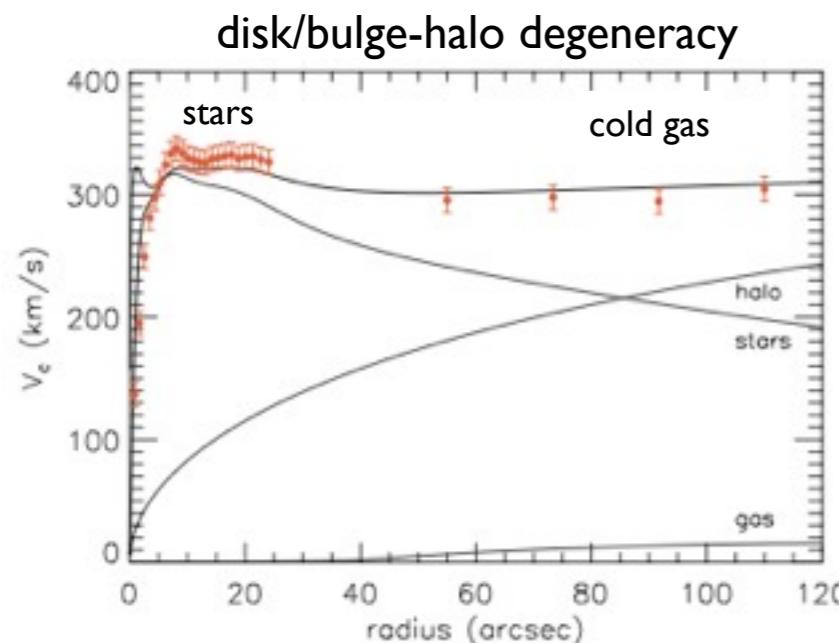
Extending modeling to include:  

- $R$  and  $z$  coupling (non-zero tilt)
- discrete fitting + contamination

# Next steps

- High quantity and quality discrete (chemo-) kinematic data (SDSS/APOGEE, Gaia/ESO, ...)
- Beyond Jeans through orbit and/or distribution-function based (chemo-)dynamical models  
(e.g., Ting et al. 2013, arXiv:1212.0006)
- Avoid binning and hard cuts via discrete fitting including contaminants in Bayesian framework  
(e.g., Watkins, van de Ven, et al. 2013)
- ... improved robust constraints on dark matter amount and *distribution* in the Local Group

# Summary in Figures



Local dark matter density:  
 $0.0075 \pm 0.0021 M_\odot \text{ pc}^{-3}$   
 $(0.28 \pm 0.08 \text{ GeV cm}^{-3})$

